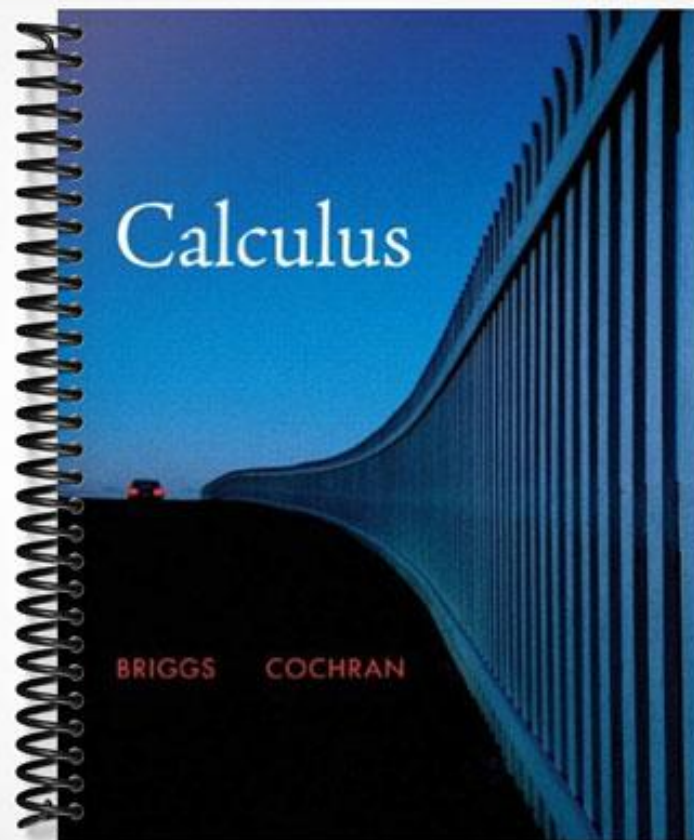


**SOLUTIONS MANUAL**





## Chapter 2 Answer Section

### Quick Quiz 2.1 Answers:

1a      2c      3b      4a      5a      6a

### Quick Quiz 2.2 Answers:

1b      2a      3c      4c      5c      6b      7c      8a      9c      10b

### Quick Quiz 2.3 Answers:

1c      2c      3c      4b      5c      6b      7b      8a      9c      10b

### Quick Quiz 2.4 Answers:

1a      2a      3c      4a      5c      6c      7a      8a

### Quick Quiz 2.5 Answers:

1b      2a      3c      4c      5b      6a      7b      8c      9c      10b

### Quick Quiz 2.6 Answers:

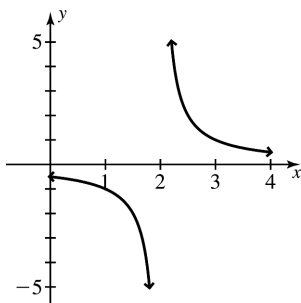
1b      2a      3c      4c      5c      6c      7a      8b      9c      10c

### Quick Quiz 2.7 Answers:

1b      2c      3b      4c      5c      6a      7c

## Chapter 2 Review Question Answers

- The value of the function tends to  $L$  as  $x$  tends to  $a$ .
- Let  $f$  be a function defined on an open interval containing  $a$ ;  $f$  need not be defined at the point  $a$ . The limit  $\lim_{x \rightarrow a} f(x) = L$  means that for all  $\varepsilon > 0$  there exists a  $\delta > 0$  such that if  $|x - a| < \delta$ , then  $|f(x) - L| < \varepsilon$ .
- Any positive value of  $\delta$  will satisfy this condition provided that it is less than  $\frac{1}{4}$ .
- They must exist and be equal.
- The function  $\sqrt{x-1}$  is defined only when  $x \geq 1$ , which occurs only in the right-hand limit.
- This is because the limit asks how the function behaves as  $x$  gets near 1, not when  $x = 1$ .
- No; the left- and right-hand limits of  $\frac{x-1}{x^2-4x+3}$  as  $x$  approaches 1 do not approach  $\pm\infty$  (a requirement for a vertical asymptote), whereas the limits associated with  $x = 3$  do approach  $\pm\infty$ .
- The vertical asymptotes are given by the roots of  $q$  that are not also roots of  $p$ .
- Evaluate  $p$  at  $x = a$ .
- Continuity from the left means  $\lim_{x \rightarrow a^-} f(x) = f(a)$ . Continuity from the right means  $\lim_{x \rightarrow a^+} f(x) = f(a)$ .
- We can make  $f(x)$  as large as we wish by making  $x$  sufficiently close to  $a$ .
- No, if  $f(x)$  were continuous on  $[1, 3]$  then  $f(x)$  would attain every value between  $-1$  and  $1$ .



- As  $x$  goes to  $a$ ,  $g(x)$  gets closer to 0 from the negative side.

## Chapter 2 Test Bank Answers

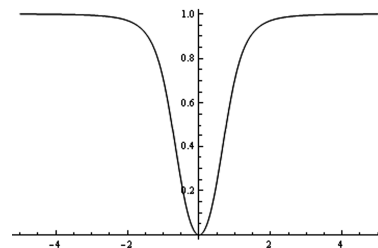
1. 50                      2. 90                      3. -2                      4. -3
5.  $2a$                       6.  $-2a$                       7.  $2a$                       8.  $\frac{1}{2}$
9.  $-\frac{1}{25}$                       10.  $-\frac{1}{20}$                       11. -8
12. a. 10                      b. 10                      c. 10
13. a. 4                      b. 4                      c. 4
14. -2                      15.  $\frac{1}{4}$                       16.  $\frac{1}{2}$

17.  $\lim_{V \rightarrow 0^+} \sqrt[3]{\frac{3V}{4\pi}} = 0$ ; This result means that as the volume of a sphere gets arbitrarily small, then the radius of the same sphere also approaches zero.

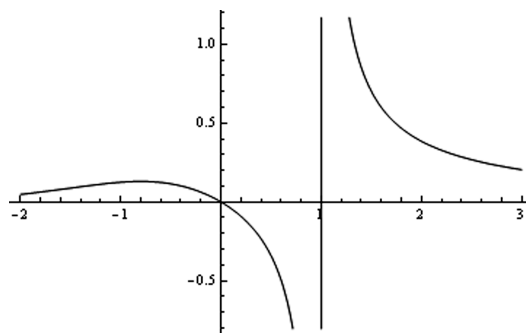
18.  $\infty$                       19. -3                      20.  $\lim_{x \rightarrow \infty} f(x) = \lim_{x \rightarrow -\infty} f(x) = 0$ ; horizontal asymptote at  $y = 0$

21.  $\lim_{x \rightarrow \infty} f(x) = 2$  and  $\lim_{x \rightarrow -\infty} f(x) = -2$ ; horizontal asymptotes at  $y = \pm 2$

22. a. no vertical asymptotes, horizontal asymptote at  $y = 1$   
b.



23. a. vertical asymptote at  $x = 1$ , horizontal asymptote at  $y = 0$   
b. The hand-drawn sketch should show the vertical asymptote at  $x = 1$  as a dashed line (rather than the solid line shown in the figure).



24. continuous  
25. continuous  
26.  $a = 5$
27. a.  $a = 4, b = 1$   
b.  $a = 4, b \neq 1$   
c.  $a \neq 4, b = 1$